

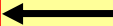









FOR PREVIEW

NUMBER OF DIMENSIONS and TRAITS	NAME	EX.
0 DIMENSIONS: no length, width, or height	POINT	.
1 DIMENSION: length only	LINE	
	LINE SEGMENT	
	RAY	
2 DIMENSIONS: length and width	POLYGON	
3 DIMENSIONS: length, width and height	POLYHEDRON	

REGULAR POLYHEDRONS (PLATONIC SOLIDS)

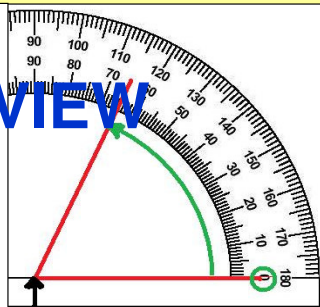
shape	name	faces	edges	vertices
	tetrahedron	4	6	4
	hexahedron	6	12	8
	octahedron	8	12	6
	dodecahedron	12	30	20
	icosahedron	20	30	12

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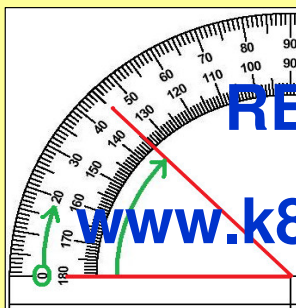
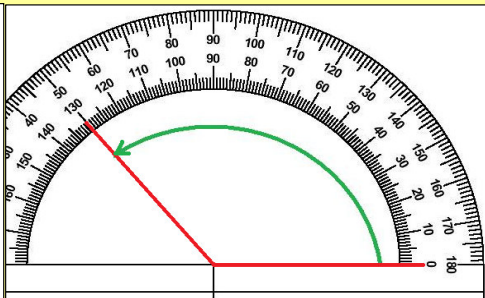
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MEASURING ANGLES

1. Put the protractor's arrow on the vertex.
2. Turn it so the 0° line is on one side.
3. Read the number: 65° .



With obtuse angles, use the numbers to get a reading that is greater than 90° .
Ans.: 130° .









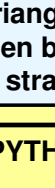

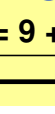
When the left side of the angle is on the 0° line, you will need to read the answer off the outer set of numbers. (Ans.: 45°)

ANGLES AND TRIANGLES

Triangles are named by the lengths of their sides. Angles and triangles are named by the openness of angles.

FOR PREVIEW

right angle (= 90°)	
acute angle (< 90°)	
obtuse angle (> 90°)	

TRIANGLES			
			
name	equilateral	isosceles	scalene
sides	3 equal	2 equal	0 equal
angles	3 equal	2 equal	0 equal
			
name	right	acute	obtuse
angles	one=90°	all<90°	one>90°



The sum of the angles of a triangle is 180°. This can be seen by aligning the angles. A straight line equals 180°.



PYTHAGOREAN THEOREM

There is a special law relating the sides of a right triangle.

The square of the hypotenuse is equal to the sum of the squares of the other two sides: $c^2 = a^2 + b^2$

The simplest Pythagorean triple—a right triangle whose sides are integers—is 3, 4, and 5; the next is 5, 12 and 13.



$$c^2 = a^2 + b^2$$

$$5^2 = 3^2 + 4^2$$

$$25 = 9 + 16$$






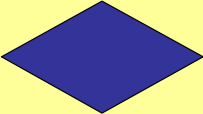


$$c^2 = a^2 + b^2$$

$$13^2 = 5^2 + 12^2$$

$$169 = 25 + 144$$

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QUADRILATERALS






<u>SHAPE</u>	<u>SIDES & ANGLES</u>
QUADRILATERAL 	4 sides 4 angles
TRAPEZOID 	1 pair parallel sides 4 angles
PARALLELOGRAM 	Opposite sides parallel Opposite sides equal Opposite angles equal and adjacent ones supplementary (add to 180°)
RHOMBUS 	Opposite sides parallel All four sides equal Opposite angles equal and adjacent ones supplementary
RECTANGLE 	Opposite sides parallel Opposite sides equal Adjacent sides perpendicular 4 right angles
SQUARE 	Opposite sides parallel All four sides equal Adjacent sides perpendicular 4 right angles

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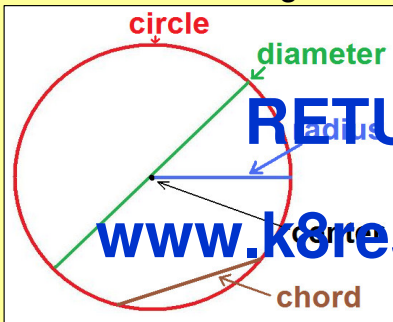
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POLYGONS AND CIRCLES

polygon	ex.	sides & angles	internal triangles	internal degrees*
triangle		3	1	180
quadrilateral		4	2	360
pentagon		5	3	540
hexagon		6	4	720
octagon		8	6	1080
n-gon		n	n-2	$(n-2) \times 180$

*The number of degrees of the internal angles of a polygon can be found by multiplying 180° by the number of triangles that could be drawn inside it.



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PERIMETER—distance around a shape

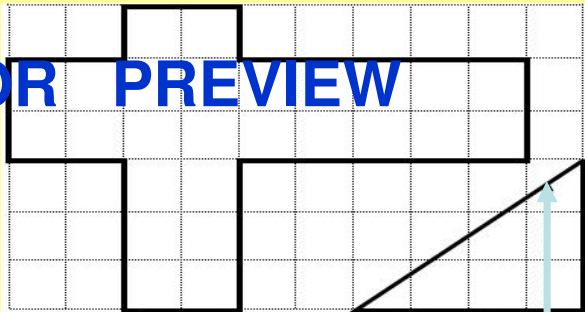
Count the centimeters around the sides, or add up the sides.

$$\begin{aligned} \text{Perimeter} &= \\ 2+3+2+3 &= \\ 10 \text{ cm} & \end{aligned}$$



FOR PREVIEW

$$\begin{aligned} \text{Perimeter} &= \\ 2+1+2+1+5+2+5+3+ \\ 2+3+2+2 &= 30 \text{ cm} \end{aligned}$$



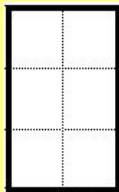
$$P = 3 + 4 + 5 = 12 \text{ cm (Use a ruler to measure slanted lines.)}$$

AREA OF A RECTANGLE

Count the square centimeters inside the shape.
the length times the width. Area is in square units.

Multiply

$$\begin{aligned} A &= l \times w \\ &= 2 \times 3 \\ &= 6 \text{ sq. cm} \end{aligned}$$



$$A = l \times w = 6 \times 2 = 12 \text{ sq. cm}$$

AREA OF A PARALLELOGRAM

Count squares and triangles, or multiply the base times the height.

$$\begin{aligned} A &= b \times h = 7 \times 3 \\ &= 21 \text{ sq. cm} \end{aligned}$$



AREA OF TRIANGLES

$$A = \frac{1}{2}b \times h$$

Count squares (1 sq. cm) and triangles (here $\frac{1}{2}$ sq. cm), or multiply $\frac{1}{2} \times$ base \times height.

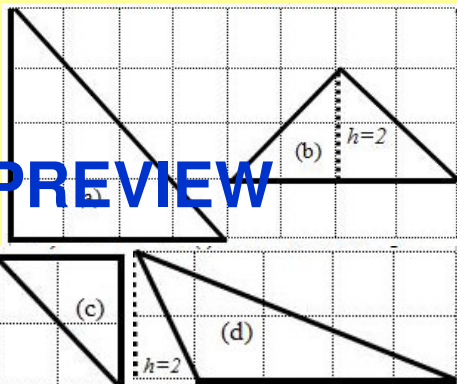
$$A_{(a)} = \frac{1}{2} \times 4 \times 4 = 8 \text{ sq. cm}$$

$$A_{(b)} = \frac{1}{2} \times 4 \times 2 = 4 \text{ sq. cm}$$

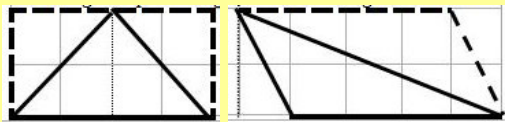
Height is perpendicular to the base.

$$A_{(c)} = \frac{1}{2} \times 2 \times 2 = 2 \text{ sq. cm}$$

$$A_{(d)} = \frac{1}{2} \times 4 \times 2 = 4 \text{ sq. cm}$$



The triangle's area is half the area of its enclosing rectangle or parallelogram, showing $A = \frac{1}{2} \times b \times h$.



AREA OF IRREGULAR SHAPES

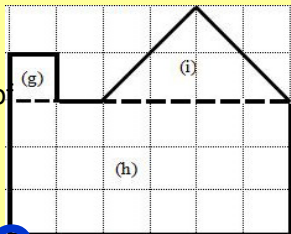
Divide the shape into rectangles and triangles. Count squares and triangles, or calculate area of rectangles ($l \times w$) and triangles ($\frac{1}{2} b \times h$). Add.

$$A = A_{(g)} + A_{(h)} + A_{(i)}$$

$$= (1 \times 1) + (6 \times 3) + (\frac{1}{2} \times 4 \times 2)$$

$$= 1 + 18 + 4 = 23 \text{ sq. cm}$$

It may be easier to subtract the area of a small missing piece from a would-be full rectangle.



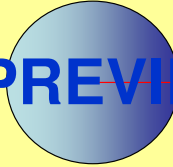
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$$A = (l \times w) - 1$$
$$= (3 \times 2) - 1 = 5$$

CIRCUMFERENCE OF A CIRCLE



AREA OF A CIRCLE



π is a constant roughly equal to $3 \frac{1}{7}$ or $22/7$.

π is a never-ending decimal beginning with

FOR PREVIEW

$$C = 2 \times \pi \times r$$

$$A = \pi \times r^2$$

3.14159265358979323846264338327950288419716939937510

VOLUME OF A PRISM



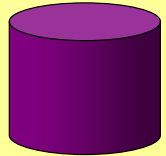
$$V = l \times w \times h$$

VOLUME OF A PYRAMID



$$V = \frac{1}{3} \times l \times w \times h$$

VOLUME OF A CYLINDER



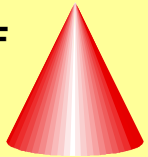
$$V = \pi \times r^2 \times h$$

VOLUME OF A SPHERE



$$V = \frac{4}{3} \times \pi \times r^3$$

VOLUME OF A CONE



$$V = \frac{1}{3} \times \pi \times r^2 \times h$$

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Volume is given in cubic units. For example, 24 cubic inches.